

# Regular digraphs of diameter 2 and maximum order: Corrigenda

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In [1], in Figure 6, Eqs. (9) and (10), each  $v_l$  should be replaced by  $v_{l,q}$ , where  $q$  is the second argument (index) of the corresponding  $\lambda$  and  $x$ . Additionally, on p. 300,  $v_3$  and  $v_4$  should be replaced by  $v_{3,1}$  and  $v_{4,1}$  respectively. Some changes are also necessary in Formulas 11 and 12 (p. 299) used in Theorem 2.

Moreover, since  $\sum_{q=1}^l e^{i\frac{2\pi q}{l}} = 0$  for  $l \geq 2$ , we have  $\sum_{q=1}^{\lfloor \frac{l-1}{2} \rfloor} c_{lq} = \begin{cases} \frac{1}{2} & \text{if } l \geq 3 \text{ odd} \\ 1 & \text{otherwise.} \end{cases}$

Consequently, the correct version of Theorem 2 is:

**Theorem 2** For the numbers  $m_l$  of permutation cycles of length  $l$ ,  $l = 1, 2, \dots, n$  of a  $(d)$ -digraph there are nonnegative integers  $u$  and  $v_{l,q}$ ,  $q = 1, 2, \dots, \lfloor \frac{l-1}{2} \rfloor$ , fulfilling (11) and (12).

Where

$$d - u + \sum_{\substack{l \text{ odd} \\ l \geq 3}}^{(l-1)/2} [-2(m_l - v_{lq}) + 2(2v_{lq} - m_l) \operatorname{re}\{x(l, q)\}] + \sum_{l \text{ even}} \sum_{q=1}^{\frac{1}{2}l-1} [-2(m_l - v_{lq}) + 2(2v_{lq} - m_l) \operatorname{re}\{x(l, q)\}] - \frac{1}{2} \sum_{l \text{ even}} m_l = 0, \quad (11)$$

$$d^2 + u + \sum_{\substack{l \text{ odd} \\ l \geq 3}} \left[ m_l + \sum_{q=1}^{(l-1)/2} (-2v_{lq} + 2(m_l - 2v_{lq}) \operatorname{re}\{x(l, q)\}) \right] + \sum_{l \text{ even}} \sum_{q=1}^{\frac{1}{2}l-1} [-2v_{lq} + 2(m_l - 2v_{lq}) \operatorname{re}\{x(l, q)\}] + \frac{1}{2} \sum_{l \text{ even}} m_l = m_1. \quad (12)$$

- [1] Edy Tri Baskoro, Mirka Miller, Ján Plesník and Štefan ZnáM, Regular digraphs of diameter 2 and maximum order, *Australasian Journal of Combinatorics* 9 (1994), 291–306.

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